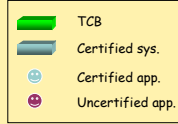


# Modular Development of Certified Concurrent Code

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## Goal: Building Reliable Software!



**We have NO security guarantee without reliable implementation!**

Low-level program verification allows us to have:

- Highly efficient and dependable OS and libraries
- Reliable security infrastructure
- Certified applications for mission-critical systems

### First Step:

### Modular-Verification of Low-Level Concurrent Code!

## Our Approach:

Modular Verification of Low-Level Multi-Threaded Code (CMAP)

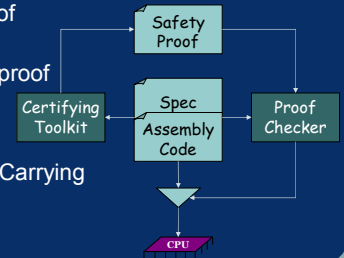
Assume-Guarantee + Dynamic Thread Creation

Logic-based specification

Semi-automatic proof construction

Formal Mechanical proof

Foundational Proof-Carrying Code (FPCC)



## Comparison to state of the art

### Current approaches

- higher-level, cobegin/coend
- PCC for sequential code
- not modular or thread modular only
- type systems for specific properties

### New approach

- low-level + fork/join/exit
- PCC for concurrent code
- thread modular and procedural modular
- logic system for general properties

## Concurrency Verification

### Assume-Guarantee Method

- Thread spec:  $(A, G)$
- Non-interference:  $\forall i, j. i \neq j \Rightarrow G_i \Rightarrow A_j$

### Challenges for low-level code cert.

- Changing Environment
  - Unbounded Dynamic Thread Creation/Termination
- Modularity Issues
  - Thread Modularity + Procedural Modularity

```
Global data: int data[100];
main:
  int i:=0;
  while (i<100){
    data[i]:=f(i);
    fork child(i);
    i++;
  }
```

## The CMAP Approach

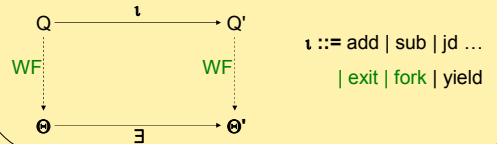
INV: dynamic threads do not interfere

Queue:  $Q$ , Spec:  $\Theta$ ,

$WF(Q, \Theta) \equiv \forall t_i, t_j \in Q. t_i \neq t_j \Rightarrow (G_i \Rightarrow A_j)$

Borrow the invariant-based proof in TAL

Initial condition:  $\exists \Theta_0. WF(Q_0, \Theta_0)$



## The CMAP Approach

### Queue Update

$WF(Q \cup \{t\}, \Theta \cup \{(A, G)\})$   
 $\downarrow A \Rightarrow A', G' \Rightarrow G; t: (A', G')$

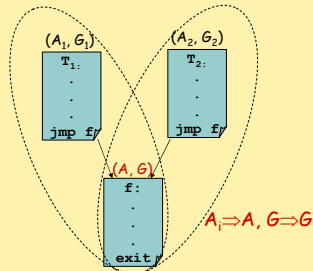
$WF(Q \cup \{t\}, \Theta \cup \{(A', G')\})$

### Queue Extension

$WF(Q \cup \{t\}, \Theta \cup \{(A, G)\})$

$\downarrow \text{fork } f(a)$   
 $A \Rightarrow A', G' \Rightarrow G$

$WF(Q \cup \{t, t'\}, \Theta \cup \{(A'', G''), (A \vee G'', G \wedge A'')\})$



*Certify once, use everywhere!*

## Conclusions and Future Work

What we have done so far:

CMAP: Abstract Machine + Verification Logic

Certified Code:

- Unbounded dynamic thread creation
- Readers-writers problems with sync. primitives
- Lock-free concurrent programs (GCD)

Coq Implementation

Future Work

- Certified thread library and sync. primitives
- Surface languages and certifying compilation